TABLE I.*
Table of a Proposed Annuity Note Currency:


 illustration, in Columns I. II. III. IV. XI. and XII

| I. | II. | III. | IV. ${ }^{\text {b }}$ | V. | VI. | VII. | VIII. | IX. | X. ${ }^{\text {i }}$ | XI. | XII. | XIII. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{N}^{\mathrm{o}}$ in the Series. | $\begin{gathered} \text { Ratio } \\ \text { to the } \\ \text { Unit } \\ \text { or } \\ \text { Standard } \\ \text { Note. }^{\text {a } 1} \end{gathered}$ | Daily Interests, answering to a Farthing per Day in the Standard Note | Principal Sums, corresponding to those <br> Daily Interests, at $£ 3$ per Cent. precisely. | Principal Sums, as proposed at $£ 3$ per Cent. nearly, for the Sake of even Money. ${ }^{\text {c }}$ |  |  |  |  |  | Correct <br> Amounts of Yearly Interests on the proposed Principals. | Differences <br> between the proposed and correct Amounts. | Principal Sums corresponding to the same <br> Daily Interests, at the reduced Rate of $2^{3}{ }_{8}$ per Cent. nearly. ${ }^{\text {k }}{ }^{5}$ |
|  |  |  |  |  | One Day. | One Week nearly; viz. <br> Eight Days. | One Month nearly; viz. Thirty-two Days. ${ }^{\text {h }}$ | One Half Year nearly; viz. 182 Days. | One Year nearly; viz. 364 Days. |  |  |  |
|  |  | s. d. $f$. | £. s. $\quad$ d. $f$. | £. s. $d$. | s. d. f. | f. s. d. f. | f. s. d. f. | £. s. d. f. | £. s. d. f. | £. s. d. f. | £. s. d. f. | £. s. d. $f$. |
| 1 | 512 | 1088 | 6,488 17709 | ${ }^{\text {d }} 6,55312 \quad 0$ | 1080 | 4540 | 17140 | 97140 | 194280 | 196540 | 2280 | 8,192 0000 |
| 2 | 256 | 5480 | $\begin{array}{lllll}3,244 & 8 & 10 & 2\end{array}$ | ${ }^{\text {d 2 }} 3,276160$ | 540 | 2280 | 81080 | 481080 | 97140 | $98 \quad 280$ | $\begin{array}{llll}1 & 1 & 4 & 0\end{array}$ | $4,096 \quad 000$ |
| 3 | 128 | 2880 | $\begin{array}{lllll}1,622 & 4 & 5 & 1\end{array}$ | ${ }^{\text {d }} 1,638880$ | 280 | 1140 | 4540 | 24540 | 481080 | $49 \quad 140$ | 01080 | 2,048 0000 |
| 4 | 64 | 140 | $\begin{array}{llll}811 & 2 & 2\end{array}$ | ${ }^{\text {f }} 819480$ | 140 | 01080 | 2280 | 12280 | 24540 | 241080 | $\begin{array}{lllll}0 & 5 & 0\end{array}$ | 1,024 0000 |
| 5 | 32 | $\begin{array}{lll}0 & 8 & 0\end{array}$ | $\begin{array}{lllll}405 & 11 & 1 & 1\end{array}$ | ${ }^{\text {d }} 409 \quad 120$ | 080 | 0540 | 1140 | $\begin{array}{llll}6 & 1 & 4\end{array}$ | 12280 | 12540 | $\begin{array}{llll}0 & 2 & 8\end{array}$ | 512000 |
| 6 | 16 | 040 | $\begin{array}{llll}202 & 15 & 6 & 2\end{array}$ | ${ }^{\text {d }} 204160$ | 040 | 0280 | 01080 | 3080 | 6140 | $\begin{array}{lll}6 & 280\end{array}$ | $\begin{array}{lllll}0 & 1 & 4 & 0\end{array}$ | 256000 |
| 7 | 8 | 020 | $\begin{array}{llll}101 & 7 & 9 & 1\end{array}$ | ${ }^{\text {f }} 10280$ | 020 | 0140 | 0540 | 11040 | 3080 | 3140 | $\begin{array}{llll}0 & 0 & 8 & 0\end{array}$ | 128000 |
| 8 | 4 | $0 \quad 10$ | $\begin{array}{llll}50 & 13 & 10 & 2\end{array}$ | ${ }^{\text {fe }} 5140$ | 010 | 0080 | 0280 | 01520 | 11040 | 11080 | $\begin{array}{lllll}0 & 0 & 4 & 0\end{array}$ | ${ }^{1} 64 \quad 000$ |
| 9 | 2 | $0 \quad 0 \quad 2$ | $\begin{array}{lllll}25 & 6 & 11 & 1\end{array}$ | ${ }^{\text {fe }} 25120$ | 002 | 0040 | 0140 | 0770 | 01520 | 01540 | $\begin{array}{llll}0 & 0 & 2\end{array}$ | 32000 |
| 10 | 1 | $\begin{array}{lll}0 & 0 & 1\end{array}$ | $\begin{array}{llll}12 & 13 & 5 & 2\end{array}$ | ${ }^{\mathrm{e}} 12 \quad 160$ | 0011 | 0020 | 0080 | 0392 | 0770 | $\begin{array}{llll}0 & 780\end{array}$ | $\begin{array}{lllll}0 & 0 & 1 & 0\end{array}$ | 16000 |
| 11 | 1/2 | 0 0 0 1/2 | $\begin{array}{llll}6 & 6 & 8 & 3\end{array}$ | ${ }^{\text {e }} 680$ | $00^{1 / 1 / 2^{3}}$ | 0010 | 0040 | $0 \quad 1103$ | 0392 | 03100 | $\begin{array}{llll}0 & 0 & 0\end{array}$ | 8000 |
| 12 | 1/4 | $00^{0} 11 / 4$ | $\begin{array}{llll}3 & 3 & 4 & 1\end{array}$ | ${ }^{\text {e }} 340$ | $00{ }^{1} 1 / 4$ | 0002 | 0020 | $\begin{aligned} & {\left[\begin{array}{lll} \text { f. s. . . f. }]^{4} \\ 0 & 0 & 11 \\ 1256 / 512=1 / 2 \end{array}\right.} \end{aligned}$ | $\begin{array}{lll} \hline \text { [s. } & \text { d. } f . \\ 1 & 10 & 3 \end{array}$ | $0 \quad 1110$ | 0001 | 14000 |
| 13 | 1/8 | $00^{1} 1 / 8$ | $\begin{array}{llll}1 & 11 & 8 & 0\end{array}$ | ${ }^{\text {f }} 1120$ | $00^{1 / 8}$ | 0001 | 0010 | $0052^{384} / 512=3 / 4$ | $01111^{256} / 512=1 / 2$ | 0112 | $\wedge^{\wedge} \wedge . \wedge$. | 2000 |
| 14 | 1/16 | $0 \quad 0 \quad 11 / 16$ | $\begin{array}{llll}0 & 15 & 10 & 0\end{array}$ | ${ }^{\circ} 0{ }^{0} 160$ | $00 \frac{1}{16}$ | $\therefore \wedge \wedge . \wedge$. | 0002 | $0023{ }^{192} / 512=3 / 8$ | $0 \quad 52^{384} / 512=3 / 4$ | 053 | $\therefore \wedge \wedge . \wedge$. | 1000 |
| 15 | 1/32 | $\begin{array}{ll}0 & 0^{1 / 32}\end{array}$ | $\begin{array}{lllll}0 & 7 & 11 & 0\end{array}$ | ${ }^{8} 080$ | $00^{1 / 32}$ | $\wedge \wedge \wedge$. | 0001 | 0 0 1 1 ${ }^{352 / 512}={ }^{11} / 16$ | 0 $23^{192 / 512}=3 / 8$ | $\wedge^{\wedge} \wedge$. | $\wedge \wedge \wedge$. | 01000 |
| 16 | $1 / 64$ | $0 \quad 0 \quad 1 / 64$ | $\begin{array}{lllll}0 & 3 & 11 & 2\end{array}$ | ${ }^{8} 040$ | $00^{1 / 64}$ | .^^^^. | .^^.^. | $0002^{432} / 512={ }^{27} / 32$ | 0 $0111^{352 / 512}={ }^{11} / 16$ | $\therefore \wedge$. | .^^.^. | 0500 |
| 17 | 1/125 | $0 \quad 011 / 123$ | $\begin{array}{lllll}0 & 11 & 1 & 3\end{array}$ | ${ }^{9} 0 \quad 20$ | $00^{1 / 128}$ | $\therefore \wedge \wedge \wedge$. | $\therefore \wedge \wedge$. | $00001^{216} / 512={ }^{27} / 64$ | $0 \quad 0{ }^{0} 432 / 512={ }^{27} / 32$ | $\therefore \wedge$. | $\therefore \wedge \wedge \wedge$. | 0260 |
| 18 | 1/256 | 0 $011 / 256$ | $\begin{array}{lllll}0 & 0 & 11 & 3\end{array}$ | ${ }^{9} 0 \quad 10$ | $00^{1 / 256}$ | $\wedge \wedge \wedge$. | $\wedge \wedge \wedge$. | $0000{ }^{364} / 512={ }^{91} / 128$ | $0 \quad 01^{216} / 512={ }^{27} / 64$ | $\therefore \wedge$. | $\wedge \wedge \wedge$. | 0130 |
| 19 | 1/512 | $0 \quad 01 / 512$ | $\begin{array}{llll}0 & 0 & 5 & 3\end{array}$ | ${ }^{8} 0 \quad 06$ | $00^{1 / 512}$ | $\wedge \wedge \wedge$. | $\wedge \wedge \wedge$. | $000{ }^{182 / 512}={ }^{91} / 256$ | $0 \quad 00^{364 / 512}={ }^{91} / 128$ | .^.^. | $\wedge \wedge \wedge$. | $007 \mathrm{2}^{\mathrm{m}}$ |

> a STANDARD NOTE, or UNIT; to which the other Notes bear reference:-those above it in the Scale, being multiples of it, and of each other: those below it, submultiples: Common measure, 2 .
${ }^{\mathrm{b}}$ In the Series marked thus, the fractional parts of a farthing are omitted; as not being capable of being paid, nor requiring for any other purpose to be taken into account.

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\({ }^{\mathrm{c}}\) Rate of Interest reduced thereby to \(£ .2 .19 s .4 d .3 f\). per cent., fractional parts of a farthing being neglected.
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${ }^{\mathrm{d}}$ Magnitudes, inserted in the Series for uniformity; but supposed to be superfluous.
${ }^{e}$ By putting together the six sizes marked thus, the sum of $£ 100$ exactly may be made up.
> ${ }^{\mathrm{f}}$ By putting together the five sizes marked thus, the Sum of $£ 1,000$ exactly may be made up: likewise by ten $£ 100$ Notes, if $£ 100$ Notes are admitted.

${ }^{\mathrm{g}}$ The Notes marked thus may be termed Silver Notes; all above them being stiled GOLD Notes. It is proposed that the Paper for the GOLD NOTES shall, for distinction sake, be yellow.

[^0]of the day in question from the last tabular day; (i.e. day mentioned in the Table). In the higher Notes, the periods might be more numerous: in the lower Notes, they would, of course, be less numerous: since a period, indicating an increase under a farthing, would be of no use. Among the Silver Notes, in the $4 s$. Note, the Year could contain but four such periods: in the $2 s$. Note, but two; in the $1 s$. Note, but one: and in the sixpenny Note, but a part: to give a whole farthing, will here require a hole year, and part of another. In this there will be no Daily Augmentation Table: and, in the other Silver Notes, the Daily and Yearly Table will be combined into one. In the four intermediate Notes, between the Silver Notes and the half of the Standard Note, periods of 32 days will suffice.
${ }^{i}$ In this Series, the fractional parts of a farthing are inserted, as being requisite to be taken into account, in respect of payment of Interest by Government, or allowance of Interest, as between Individual and Individual, in the way of circulation. For though on the lowest Note (the sixpenny note) the Interest will not amount to so much as a farthing by the end either of the first or second half year, yet, by the end of the third half year, it will amount to a farthing with a fraction over: and consequently, on three such Notes taken together, it will amount to a farthing by the end of the first half year; and on $t w o$, by the end of the second half year.

[^1]> ${ }^{1}$ By putting together the three sizes marked thus, the sum of $£ 100$ exactly may be made up.

${ }^{\mathrm{m}}$ The ${ }^{7}$ two Series's or Scales here given, with their respective halves and doubles, \&c. will be found to be the only convenient Series's, for a currency on which daily Interest is to be computed. The Series, which has the $£ 12.16 s$. Note for its Standard Note, giving, for the rate of yearly Interest, $£ .2 .19 s .4^{3} / 4 d$; being a trifle less than $£ 3$ per cent: the Series, which has the $£ 16$ Note for its Standard Note, giving, for the rate of yearly Interest, £.2. $7 s .6^{1 / 4}$ d. being a trifle more than $2^{3} / 8$ per cent.

By each of these Series's or Scales, even sums (sums having a certain number of pieces
of existing coin exactly corresponding to them) are given for the amount of the several Notes respectively exhibited by them: in any other series that could be interposed, fractional sums (sums not having any number of existing coins exactly corresponding to them) would present themselves in several places.

By altering the principal sum (or purchase money for the standard amount of Interest, viz. a farthing a day) from $£ 16$ to no more than half as much, viz. $£ 8$, the rate of Interest would be doubled: that is, raised from a trifle more than $2^{3} / 8$ per cent. to a trifle more than $43 / 4$. But, were this to be the rate allowed at the present period (viz. $A^{\circ} 1800$ ) instead of profit there would be loss: the rate given by the last loan (21st February 1800) being no more than $£ 4.14 \mathrm{~s} .2^{1 / 4} \mathrm{~d}$. per cent. ${ }^{8}$ instead of $£ 4.15 \mathrm{~s} .01 / 2 \mathrm{~d}$., which would be the rate allowed, if no more than $£ 8$ were taken for the above Standard amount of Interest.

By altering the principal (or purchase money of the said Standard amount of Interest) from $£ 12.16 s$. to as much again, viz. $£ .25 .12 s$., the rate of Interest corresponding to that amount would be reduced by one half: i.e. reduced from almost $£ 3$ per cent. to $£ .1$. 9 s. $81 / 4$ d.; being a trifle less than $11 / 2$ per cent.

If, instead of being reduced by one half as above, the purchase money of the said Standard amount of Interest were to be doubled, i.e. raised from $£ 16$ to $£ 32$, the rate of interest corresponding to that amount would be reduced by one half: reduced, from a trifle more than $2 \frac{3}{8}$ per cent. to a trifle more than $13 / 16$ per cent.

For all these rates of Interest, as well as for any number of multiples or aliquot parts of them, this same Table (it is evident) may be made to serve: viz. by conceiving the series of principal sums to be shifted so many degrees higher to lower, the corresponding series of amounts of interest remaining unmoved; or, vice versâ, by conceiving the series of amounts of interest to be shifted so many degrees higher or lower, the corresponding series of principal sums remaining unmoved: the number of series's, or scales, which differ in such a manner from one another, as to give the amounts of the several sums comprized in them different throughout, and which, in both instances, give none but even sums, being (as above mentioned) but $t w o$ : viz. that which has $£ .12 .16 s$. and that which has $£ .16$, for the price of the Standard Note.

* [Editor's Note: This Table is reproduced from the 1800 partial printing of 'Abstract or Compressed View of a Tract intituled Circulating Annuities'. Bentham's drafts of the decription of the Table and note ' $m$ ' are at UC ii. 95-7.]
${ }^{1}$ The note-marker ${ }^{\text {'a }}$ ' does not appear in the Table as printed in 1800, and is editorally supplied.
${ }^{2}$ In this table, Bentham repeated the note-markers on several occasions where the same note applied at plural positions in the table.
${ }^{3} 1800$ ' $01 / 2$ '. The present volume omits the superfluous zeros before fractions of a farthing in this coulmn and in columns IX and X.
${ }^{4}$ Here and in the next column, the column heads ' $£ . s . d$. $f$.' and 's. $d$. $f$.' are successively editorially supplied for the sake of clarification.
${ }^{5}$ There is no note ' j '.
${ }^{6}$ See 'Table II. Form of a proposed Annuity Note, on the several plans of Half-Yearly and Yearly Interest', between pp. 000 and 000 below. [To text file 15]
${ }^{7}$ Bentham's draft of this note is at UC ii. 96-7.
${ }^{8}$ See p. 000 \& n. above. [To UC ii. 396 \& n., ‘Circulating Annuities', Ch. I]


[^0]:    ${ }^{\text {h }}$ In the DAILY AUGMENTATION TABLE on the back of each Note, ${ }^{6}$ the periods will vary in number according to the magnitude of the Note. In the Standard Note, it is proposed they should be periods of eight days: and so in the double, quadruple, octuple, and half of it: amount of increase by the end of each such period, in the Standard Note, 8 farthings ( $=$ $2 d$. .) On any intermediate day, the exact sum will be made up by adding $1,2,3,4,5,6$, or 7 farthings, halfpence, pence, twopences, or half-farthings, according to the distance

[^1]:    ${ }^{\mathrm{k}}$ The reduction being from $£ .2 .19 s .4 d .3 f$. per cent. to $£ .2 .7 s .6 d$. $1 f$. (fractions of a farthing neglected) viz. a trifle more than $2 \frac{3}{8}$ per cent.

